

GW approximation in exciting

exciting

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HoW **exciting!** 2023

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Outline

- ▶ Introduction
 - ▶ Why GW (beyond DFT)
 - ▶ GW approximation
- ▶ Implementation in **exciting**
- ▶ How to use GW@**exciting**
 - ▶ Input file preparation
 - ▶ Output file inspection
 - ▶ Convergence test
- ▶ Summary

Introduction

► Kohn-Sham equation

$$\left\{ -\frac{1}{2}\nabla^2 + v_{\text{ne}}(\mathbf{r}) + v_{\text{H}}(\mathbf{r}) + v_{\text{xc}}(\mathbf{r}) \right\} \psi_i^{\text{KS}}(\mathbf{r}) = \epsilon_i^{\text{KS}} \psi_i^{\text{KS}}(\mathbf{r})$$

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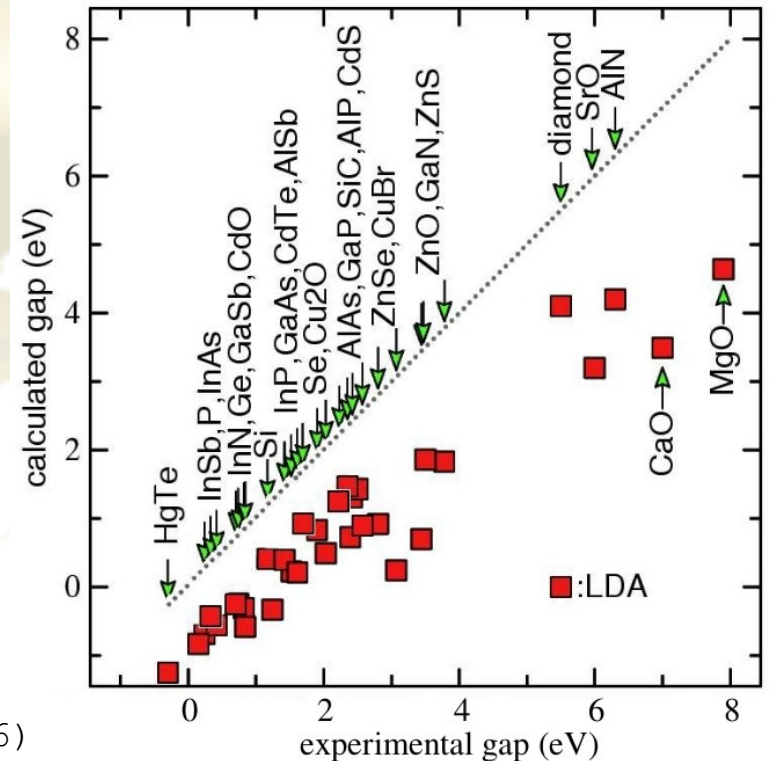
- ▶ DFT does not give any recipe for **exchange-correlation** potential
(LDA, GGA, Hybrid ...)

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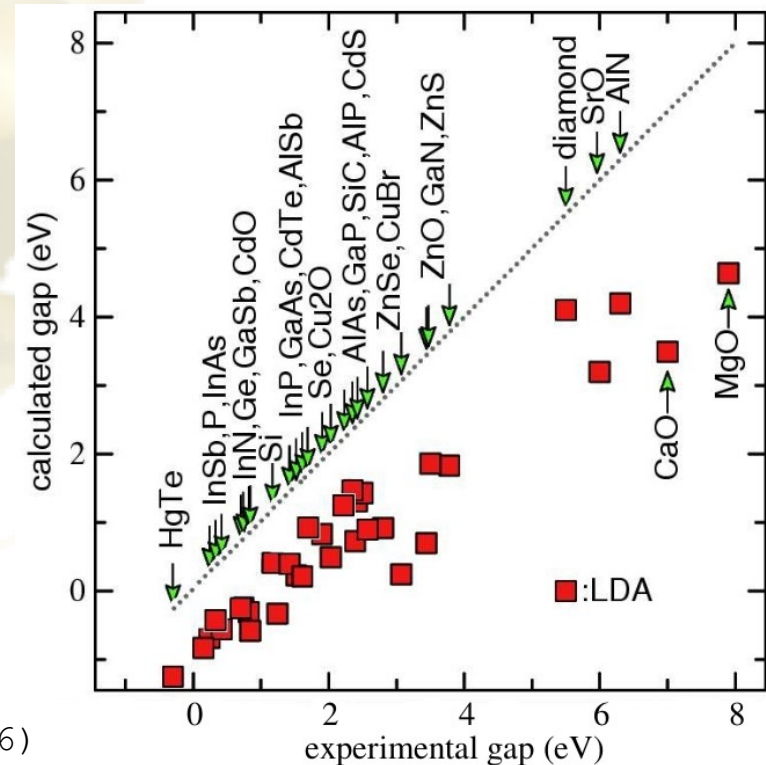


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- ▶ DFT does not give any recipe for **exchange-correlation** potential
(LDA, GGA, Hybrid ...)
- ▶ Ground-state formalism
- ▶ Predicts GS energy
- ▶ Inadequate description of quasi-particle nature of electron



Introduction

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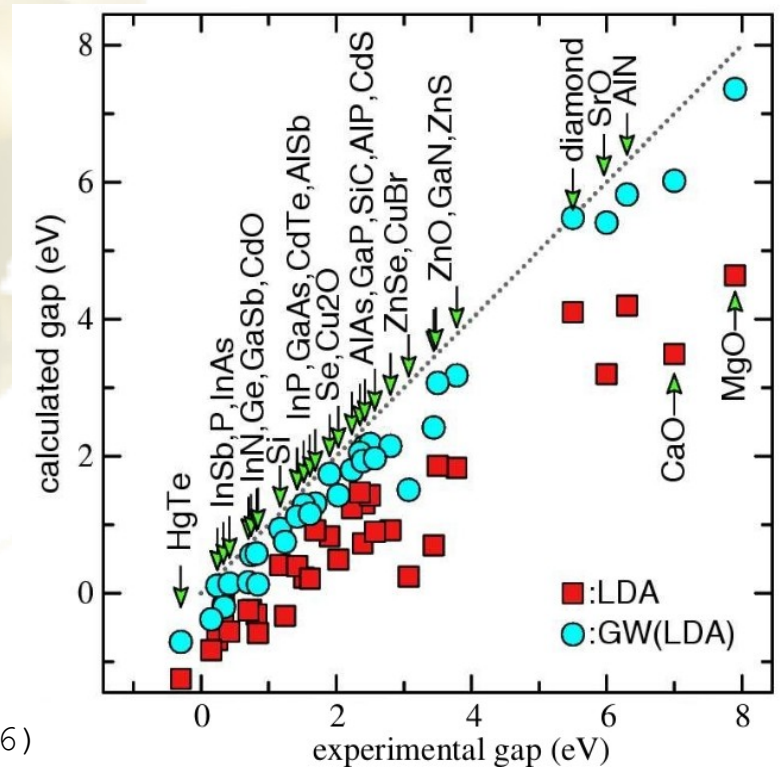
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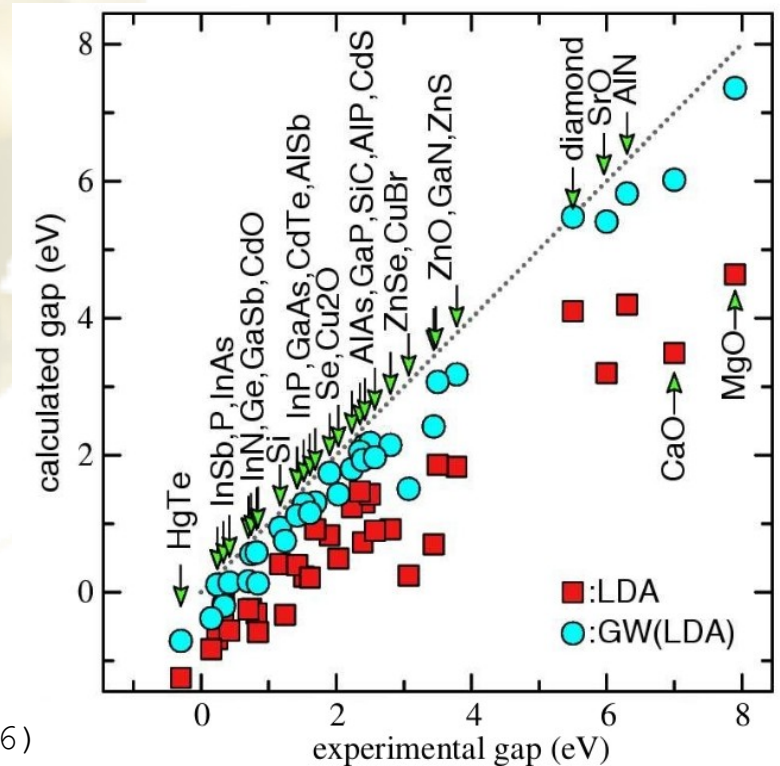
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- ▶ How to calculate the **self-energy**?



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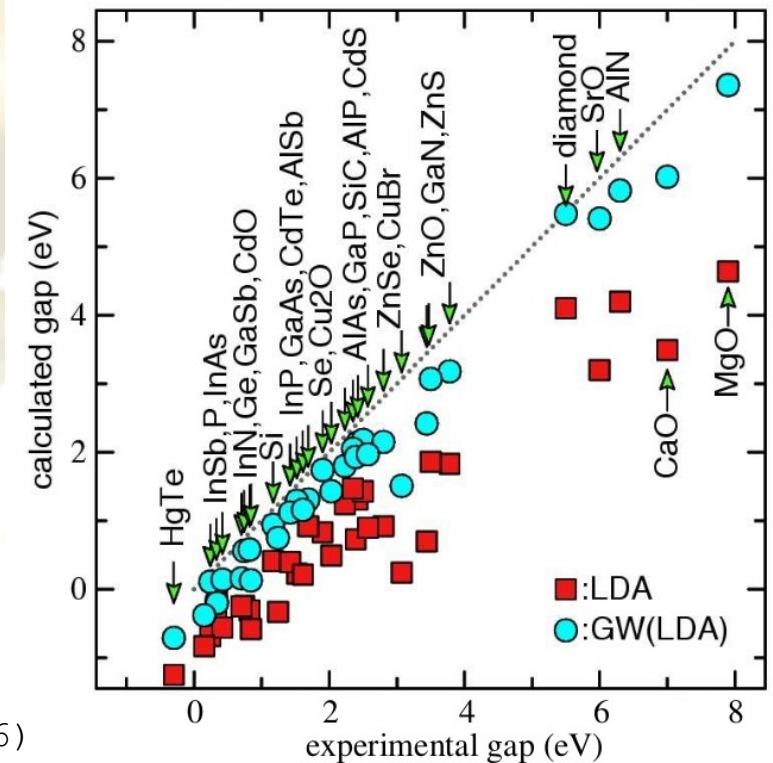
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- ▶ How to calculate the **self-energy**?

- ▶ Hedin's equations $\Sigma = GW$



GW approximation

► Self-energy

$$\Sigma(\mathbf{r}, \mathbf{r}', \omega) = \frac{i}{2\pi} \int G(\mathbf{r}, \mathbf{r}', \omega - \omega') W(\mathbf{r}, \mathbf{r}', \omega') e^{-i\delta\omega'} d\omega'$$

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- ▶ Screened Coulomb interaction

$$W(\mathbf{r}, \mathbf{r}', \omega) = \int \epsilon^{-1}(\mathbf{r}, \mathbf{r}'', \omega) v(\mathbf{r}'', \mathbf{r}') d\mathbf{r}''$$

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GW approximation

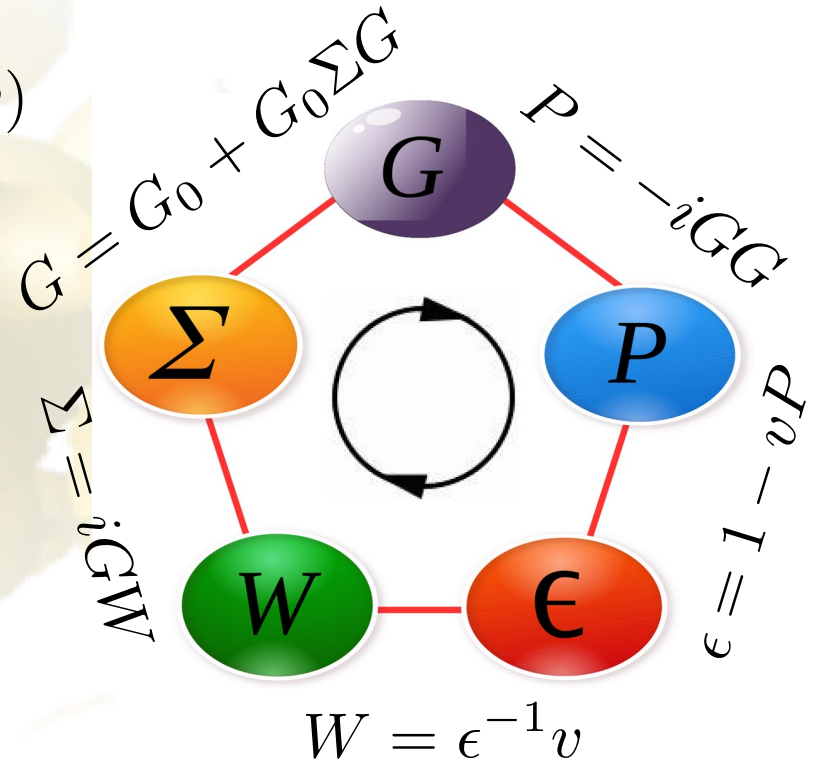
- ▶ Green's function (updated)

$$G^{-1}(\mathbf{r}, \mathbf{r}', \omega) = G_0^{-1}(\mathbf{r}, \mathbf{r}', \omega) - \Sigma(\mathbf{r}, \mathbf{r}', \omega)$$

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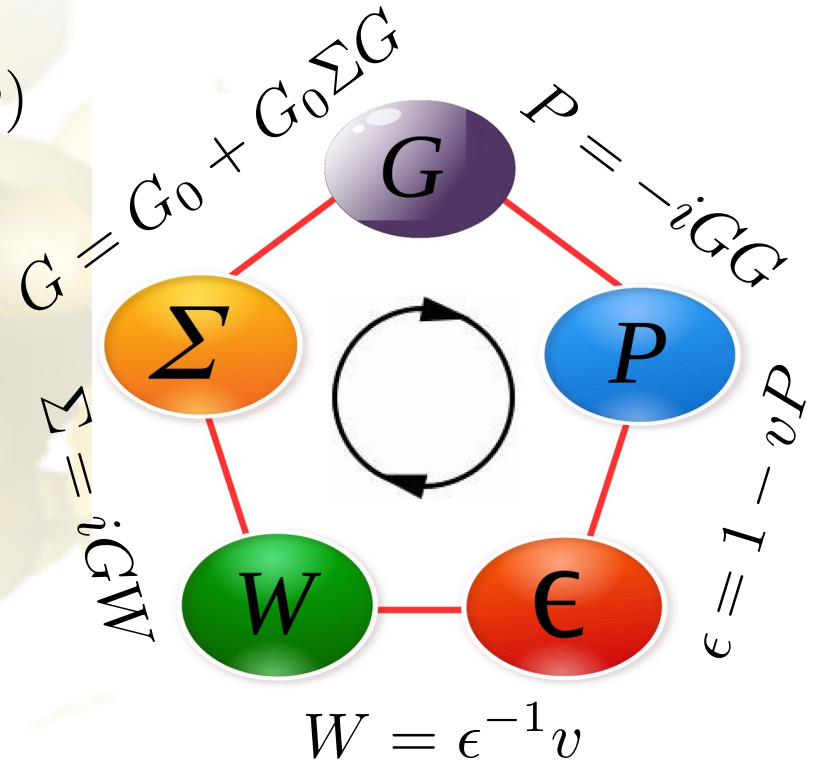
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GW approximation

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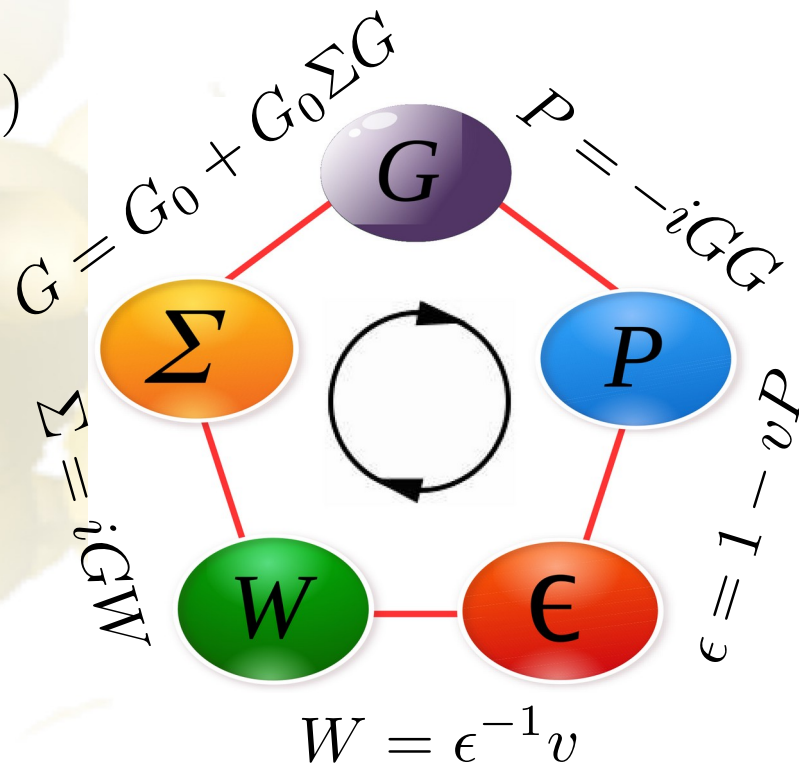
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$$G_0(\mathbf{r}, \mathbf{r}', \omega) = \sum_{nk} \frac{\psi_{nk}^{KS}(\mathbf{r}) \psi_{nk}^{KS*}(\mathbf{r}')}{\omega - \epsilon_{nk}^{KS} \pm i\eta}$$



GW approximation

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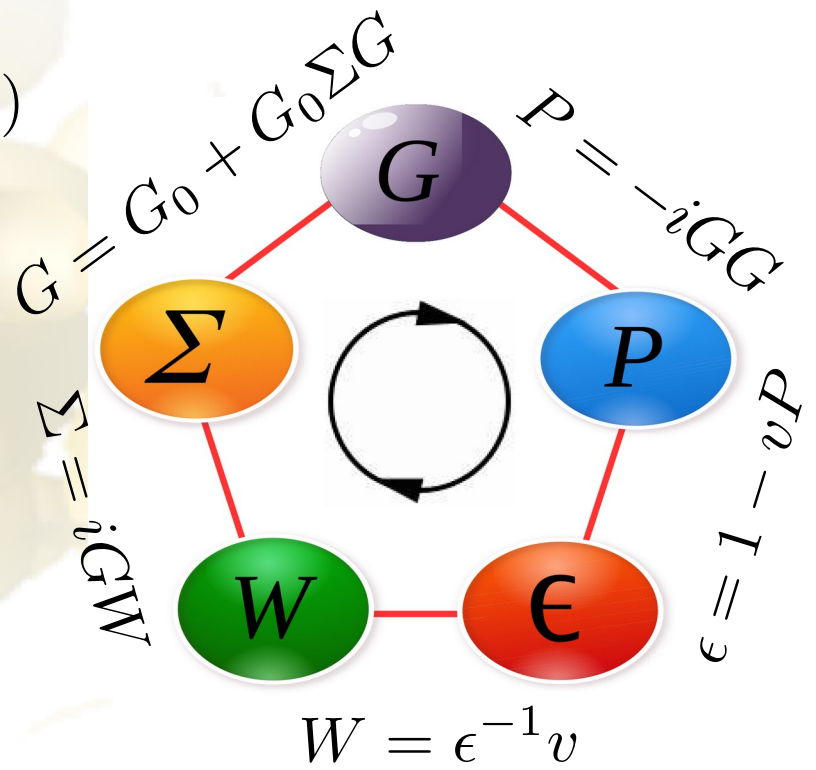
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L. Hedin, Phys. Rev. 139, A796 (1965)
 L. Hedin and B. I. Lundqvist, Solid State Phys. 23, 1 (1969)
 M. Hybertsen and S. Louie, PRB 34, 5390 (1986)

Implementation in `exciting`



exciting

Implementation in exciting



exciting



exciting
neon

Implementation in `exciting`



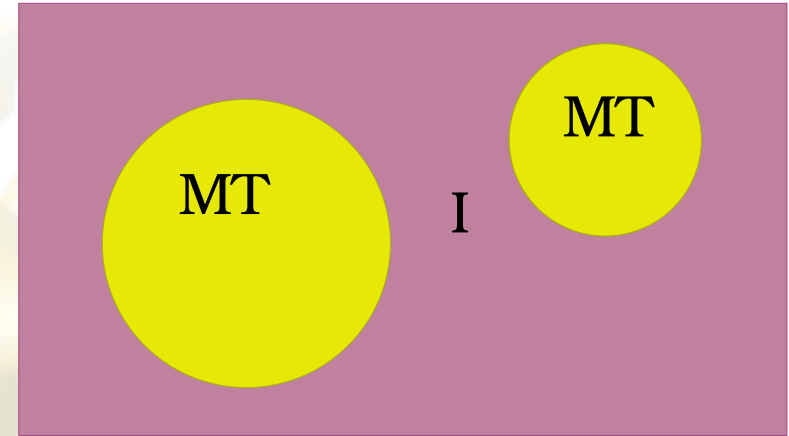
exciting

- ▶ All electron DFT code
- ▶ Employs LAPW and LO
- ▶ Treats core electron with radial Dirac eq.
- ▶ DFT, TDDFT (RTD), GW, BSE ...

Implementation in exciting



exciting



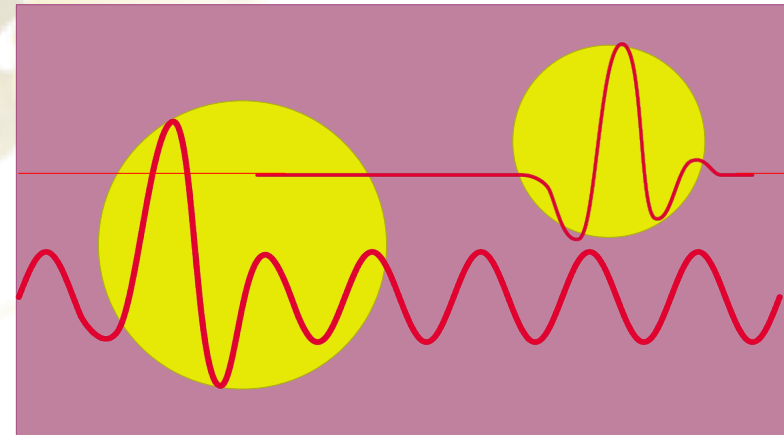
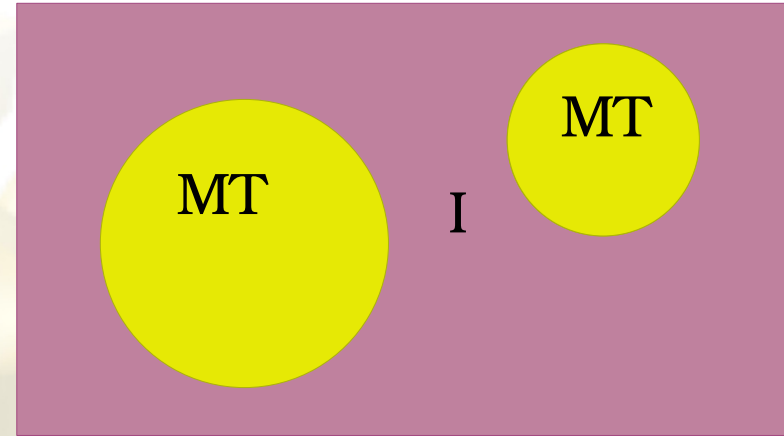
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exciting

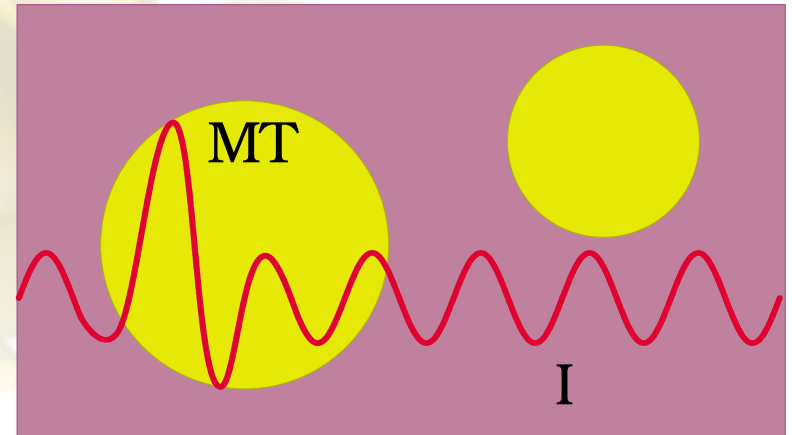
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Implementation in exciting

- ▶ Linearized augmented plane wave (LAPW) basis

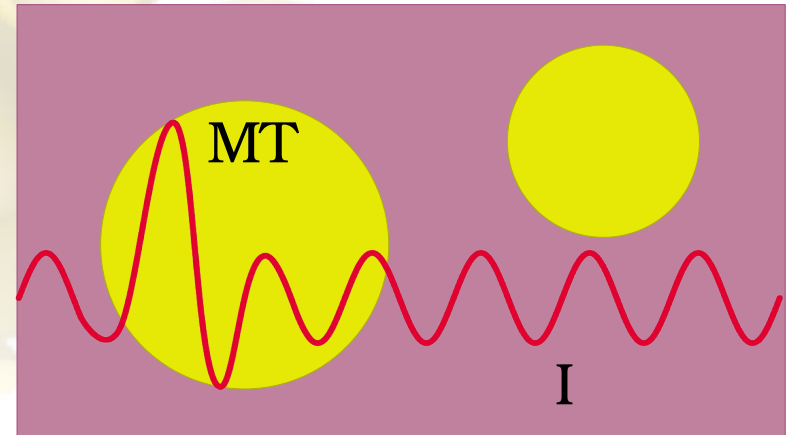
$$\phi_{\mathbf{G}}^{\mathbf{k}}(\mathbf{r}) = \begin{cases} \sum_{lm} [A_{\alpha lm}(\mathbf{k} + \mathbf{G})u_{\alpha l}(r^{\alpha}, E_l) + \dots] Y_{lm}(\hat{\mathbf{r}}^{\alpha}) & r^{\alpha} < R_{\text{MT}}^{\alpha} \\ \frac{1}{\sqrt{\Omega}} e^{i(\mathbf{k} + \mathbf{G}) \cdot \mathbf{r}} & \mathbf{r} \in I \end{cases}$$



Implementation in exciting

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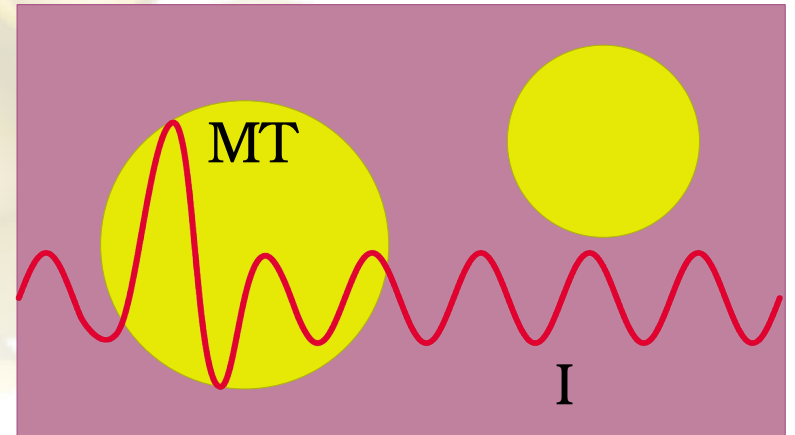
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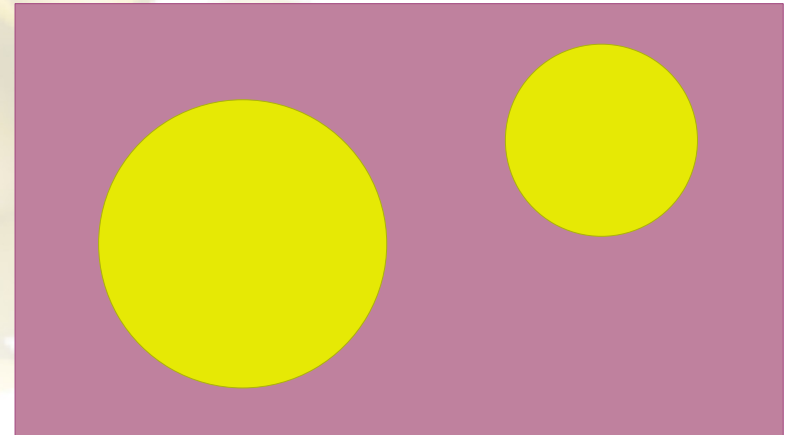
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- ▶ Kohn-Sham wave function

$$\psi_{n\mathbf{k}}^{KS}(\mathbf{r}) = \sum_{\mathbf{G}} C_{n\mathbf{k}, \mathbf{G}} \phi_{\mathbf{G}}^{\mathbf{k}}(\mathbf{r})$$



Implementation in exciting

► Mixed basis in MT region

■ We only consider $u_{\alpha l}(r^\alpha)$ with $l \leq l_{max}^{MB}$

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Implementation in exciting

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- We only consider $u_{\alpha l}(r^\alpha)$ with $l \leq l_{max}^{MB}$ `lmaxmb`
- We take $u_{\alpha l}(r^\alpha)u_{\alpha l'}(r^\alpha) = v_{\alpha NL}(r^\alpha)$ with $|l - l'| \leq L \leq |l + l'|$

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Implementation in exciting

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- Overlap matrix, diagonalize and eliminate linearly dependent ones **epsmb**
- Product basis with translational symmetry

$$\gamma_{\alpha NLM}^{\mathbf{q}}(\mathbf{r}) = \frac{1}{\sqrt{N_c}} \sum_{\mathbf{R}} e^{i\mathbf{q} \cdot (\mathbf{r}_\alpha + \mathbf{R})} v_{\alpha NL}(r^\alpha) Y_{LM}(\hat{\mathbf{r}}^\alpha)$$

F. Aryasetiawan and O. Gunnarsson, Phys. Rev. B 49, 16214 (1994)

T. Kotani and M. van Schilfgaarde, Solid State Comm. 121, 461 (2002)

Implementation in exciting

► Mixed basis in Interstitial region

■ Overlap matrix

$$\mathbb{O}_{\mathbf{G}\mathbf{G}'} = \frac{1}{\Omega} \int_{\Omega} \theta_I(\mathbf{r}) e^{i(\mathbf{G}-\mathbf{G}')\cdot\mathbf{r}} d^3r$$

Implementation in exciting

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■ Diagonalize the overlap matrix

$$\sum_{\mathbf{G}'} \mathbb{O}_{\mathbf{G}\mathbf{G}'} S_{\mathbf{G}'i} = \lambda_i S_{\mathbf{G}i}$$

Implementation in exciting

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■ Orthonormal basis set

$$P_i^{\mathbf{q}}(\mathbf{r}) \equiv \frac{1}{\sqrt{\Omega}} \sum_{\mathbf{G}}^{G_{max}^{MB}} \tilde{S}_{\mathbf{G}i} e^{i(\mathbf{G}+\mathbf{q})\cdot\mathbf{r}} \theta_I(\mathbf{r})$$

Implementation in exciting

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Implementation in exciting

- ▶ Orthonormal mixed basis set

$$\{\chi_j^{\mathbf{q}}(\mathbf{r})\} \equiv \{\gamma_{\alpha NLM}^{\mathbf{q}}(\mathbf{r}), P_i^{\mathbf{q}}(\mathbf{r})\}$$

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$$\{\chi_j^{\mathbf{q}}(\mathbf{r})\} \equiv \{\gamma_{\alpha NLM}^{\mathbf{q}}(\mathbf{r}), P_i^{\mathbf{q}}(\mathbf{r})\}$$

- ▶ Polarizability

$$P_0(\mathbf{r}, \mathbf{r}', \omega) = \sum_{n,m} \sum_{\mathbf{k}, \mathbf{q}} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) \psi_{n\mathbf{k}}(\mathbf{r}) \psi_{m\mathbf{k}-\mathbf{q}}^*(\mathbf{r}) \psi_{n\mathbf{k}}^*(\mathbf{r}') \psi_{m\mathbf{k}-\mathbf{q}}(\mathbf{r}')$$

Implementation in exciting

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$$\psi_{n\mathbf{k}}(\mathbf{r}) \psi_{m\mathbf{k}-\mathbf{q}}^*(\mathbf{r}) = \sum_i M_{nm}^i(\mathbf{k}, \mathbf{q}) \chi_i^{\mathbf{q}}(\mathbf{r})$$

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- ▶ Polarizability

$$P_0(\mathbf{r}, \mathbf{r}', \omega) = \sum_{n,m} \sum_{\mathbf{k}, \mathbf{q}} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) \psi_{n\mathbf{k}}(\mathbf{r}) \psi_{m\mathbf{k}-\mathbf{q}}^*(\mathbf{r}) \psi_{n\mathbf{k}}^*(\mathbf{r}') \psi_{m\mathbf{k}-\mathbf{q}}(\mathbf{r}')$$

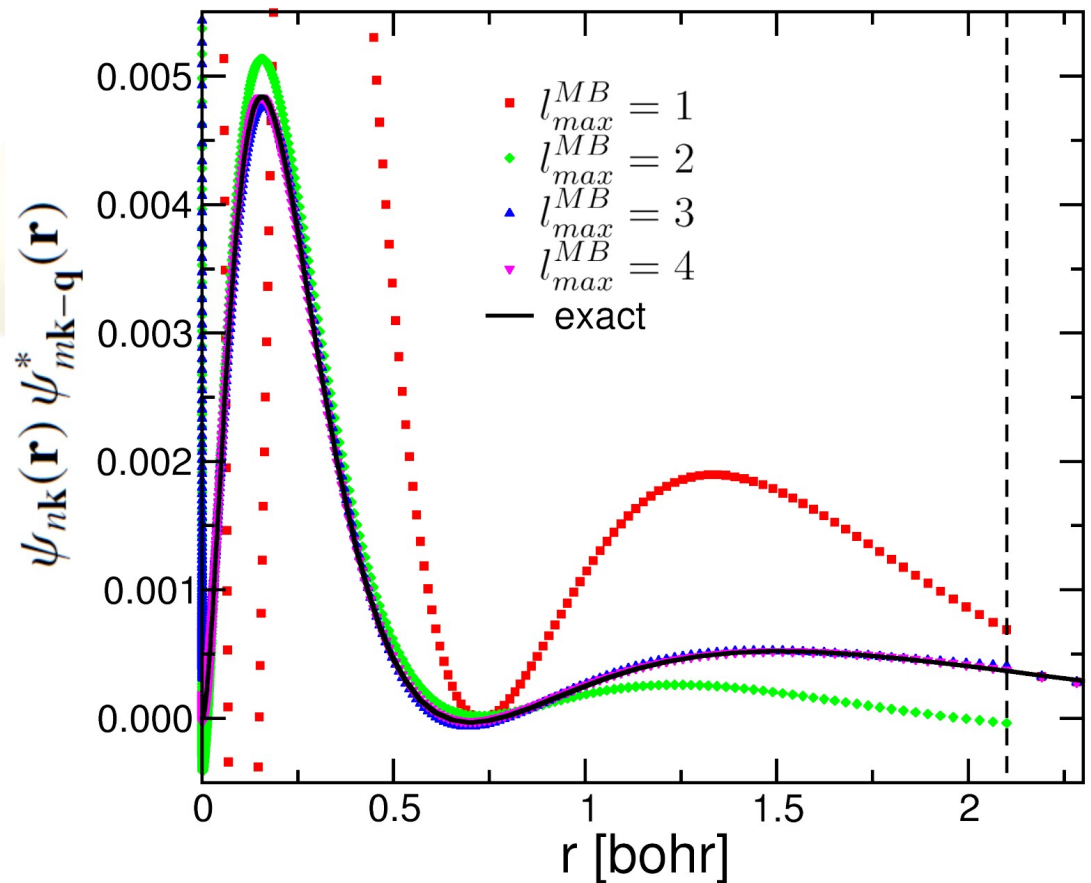
$$\psi_{n\mathbf{k}}(\mathbf{r}) \psi_{m\mathbf{k}-\mathbf{q}}^*(\mathbf{r}) = \sum_i M_{nm}^i(\mathbf{k}, \mathbf{q}) \chi_i^{\mathbf{q}}(\mathbf{r})$$

$$M_{nm}^i(\mathbf{k}, \mathbf{q}) \equiv \int_{\Omega} [\chi_i^{\mathbf{q}}(\mathbf{r}) \psi_{m\mathbf{k}-\mathbf{q}}(\mathbf{r})]^* \psi_{n\mathbf{k}}(\mathbf{r}) d\mathbf{r}$$

Implementation in `exciting`

`lmaxmb`

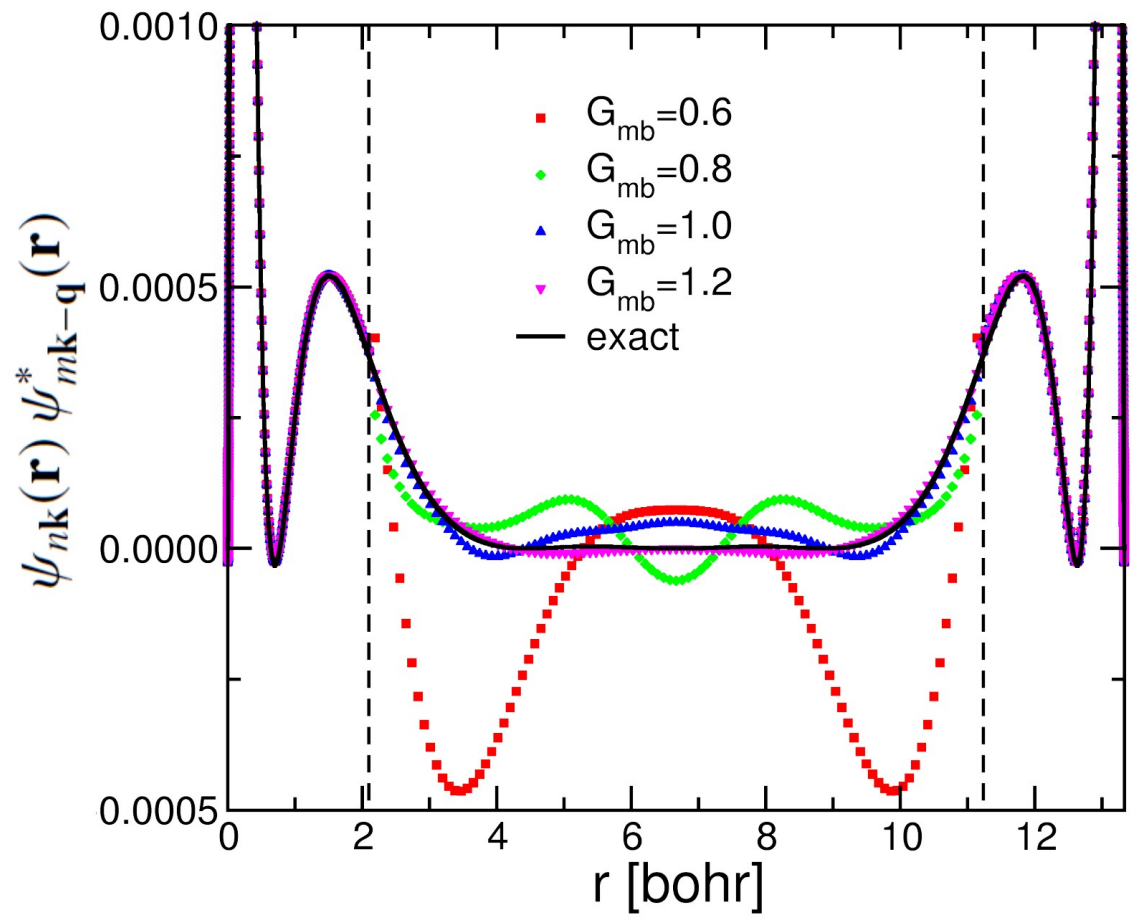
Si, $\mathbf{k}=(0,0,0), \mathbf{k}-\mathbf{q}=(0,0,1), n=5, m=4$



Implementation in `exciting`

Si, $\mathbf{k}=(0,0,0), \mathbf{k}-\mathbf{q}=(0,0,1), n=5, m=4$

`gmb`



Implementation in `exciting`

- ▶ Self-energy can be split into two parts

$$\Sigma(\mathbf{r}, \mathbf{r}', \omega) = \Sigma^x(\mathbf{r}, \mathbf{r}') + \Sigma^c(\mathbf{r}, \mathbf{r}', \omega)$$

Implementation in exciting

- ▶ Self-energy can be split into two parts

$$\Sigma(\mathbf{r}, \mathbf{r}', \omega) = \Sigma^x(\mathbf{r}, \mathbf{r}') + \Sigma^c(\mathbf{r}, \mathbf{r}', \omega)$$

- ▶ Exchange part of the self-energy

$$\Sigma_{n\mathbf{k}}^x = -\frac{1}{N_c} \sum_{\mathbf{q}}^{BZ} \sum_{i,j} v_{ij}(\mathbf{q}) \sum_m^{occ} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* M_{nm}^j(\mathbf{k}, \mathbf{q})$$

Implementation in exciting

- ▶ Self-energy can be split into two parts

$$\Sigma(\mathbf{r}, \mathbf{r}', \omega) = \Sigma^x(\mathbf{r}, \mathbf{r}') + \Sigma^c(\mathbf{r}, \mathbf{r}', \omega)$$

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$$\Sigma_{n\mathbf{k}}^x = -\frac{1}{N_c} \sum_{\mathbf{q}} \sum_{i,j} v_{ij}(\mathbf{q}) \sum_m^{occ} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* M_{nm}^j(\mathbf{k}, \mathbf{q})$$

- ▶ Coulomb potential in the product basis

$$v_{ij}(\mathbf{q}) = \int_{\Omega} \int_{\Omega} [\chi_i^{\mathbf{q}}(\mathbf{r})]^* v(\mathbf{r}, \mathbf{r}') \chi_j^{\mathbf{q}}(\mathbf{r}') d\mathbf{r} d\mathbf{r}'$$

Implementation in exciting

- Polarizability in mixed basis

$$P_{ij}(\mathbf{q}, \omega) = \frac{1}{N_c} \sum_{\mathbf{k}}^{\text{BZ}} \sum_n^{\text{occ}} \sum_m^{\text{empty}} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) M_{nm}^i(\mathbf{k}, \mathbf{q}) [M_{nm}^j(\mathbf{k}, \mathbf{q})]^*$$

Implementation in `exciting`

- Polarizability in mixed basis

$$P_{ij}(\mathbf{q}, \omega) = \frac{1}{N_c} \sum_{\mathbf{k}}^{BZ} \sum_n^{occ} \sum_m^{empty} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) M_{nm}^i(\mathbf{k}, \mathbf{q}) [M_{nm}^j(\mathbf{k}, \mathbf{q})]^*$$

`ngridq`

Implementation in exciting

- Polarizability in mixed basis

$$P_{ij}(\mathbf{q}, \omega) = \frac{1}{N_c} \sum_{\mathbf{k}} \sum_n^{BZ} \sum_m^{occ \text{ empty}} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) M_{nm}^i(\mathbf{k}, \mathbf{q}) [M_{nm}^j(\mathbf{k}, \mathbf{q})]^*$$

nempty

Implementation in exciting

- Polarizability in mixed basis

$$P_{ij}(\mathbf{q}, \omega) = \frac{1}{N_c} \sum_{\mathbf{k}} \sum_{n}^{BZ} \sum_{m}^{occ \text{ empty}} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) M_{nm}^i(\mathbf{k}, \mathbf{q}) [M_{nm}^j(\mathbf{k}, \mathbf{q})]^*$$

nomeg

Implementation in `exciting`

- Polarizability in mixed basis

$$P_{ij}(\mathbf{q}, \omega) = \frac{1}{N_c} \sum_{\mathbf{k}}^{BZ} \sum_n^{occ} \sum_m^{empty} F_{nm}(\mathbf{k}, \mathbf{q}; \omega) M_{nm}^i(\mathbf{k}, \mathbf{q}) [M_{nm}^j(\mathbf{k}, \mathbf{q})]^*$$

- Dielectric function

$$\epsilon_{ij}(\mathbf{q}, \omega) = \delta_{ij} - \sum_{i'j'} v_{ii'}^{\frac{1}{2}}(\mathbf{q}) P_{i'j'}(\mathbf{q}, \omega) v_{j'j}^{\frac{1}{2}}(\mathbf{q})$$

- Correlation part of the screened Coulomb interaction

$$W_{ij}^c(\mathbf{q}, \omega) = \sum_{i'j'} v_{ii'}^{\frac{1}{2}}(\mathbf{q}) \left[\epsilon_{i'j'}^{-1}(\mathbf{q}, \omega) - \delta_{i'j'} \right] v_{j'j}^{\frac{1}{2}}(\mathbf{q})$$

`ngridq`

`nempty`

`nomeg`

Implementation in exciting

- Correlation part of the self-energy

$$\Sigma_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}} \sum_{\substack{BZ \\ occ+empty \\ m}} \int d\omega' \frac{\sum_{ij} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* W_{ij}^c(\mathbf{q}, \omega') M_{nm}^j(\mathbf{k}, \mathbf{q})}{\omega + \omega' - \tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}}}$$

Implementation in exciting

- Correlation part of the self-energy

$$\Sigma_{nk}^c(\omega) = \sum_{\mathbf{q}} \sum_m^{\text{occ+empty}} \int d\omega' \frac{\sum_{ij} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* W_{ij}^c(\mathbf{q}, \omega') M_{nm}^j(\mathbf{k}, \mathbf{q})}{\omega + \omega' - \tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}}}$$

ngridq

nempty

nomeg

Implementation in exciting

- Correlation part of the self-energy

$$\Sigma_{nk}^c(\omega) = \sum_{\mathbf{q}}^{BZ} \sum_m^{occ+empty} \int d\omega' \frac{\sum_{ij} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* W_{ij}^c(\mathbf{q}, \omega') M_{nm}^j(\mathbf{k}, \mathbf{q})}{\omega + \omega' - \tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}}}$$

ngridq

nempty

nomeg

Implementation in exciting

- Correlation part of the self-energy

$$\Sigma_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}}^{BZ \text{ occ+empty}} \sum_m \int d\omega' \frac{\sum_{ij} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* W_{ij}^c(\mathbf{q}, \omega') M_{nm}^j(\mathbf{k}, \mathbf{q})}{\omega + \omega' - \tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}}}$$

ngridq

- Perform in imaginary frequency

$$\Sigma_{n\mathbf{k}}^c(iu) = \sum_{\mathbf{q}}^{BZ \text{ occ+empty}} \sum_m \int du' X_{nm}(\mathbf{k}, \mathbf{q}; \omega') \frac{2(\tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}} - iu)}{u'^2 + (\tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}} - iu)}$$

nempty

nomeg

Implementation in exciting

- Correlation part of the self-energy

$$\Sigma_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}}^{BZ \text{ occ+empty}} \sum_m \int d\omega' \frac{\sum_{ij} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* W_{ij}^c(\mathbf{q}, \omega') M_{nm}^j(\mathbf{k}, \mathbf{q})}{\omega + \omega' - \tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}}}$$

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$$\Sigma_{n\mathbf{k}}^c(iu) = \sum_{\mathbf{q}}^{BZ \text{ occ+empty}} \sum_m \int du' X_{nm}(\mathbf{k}, \mathbf{q}; \omega') \frac{2(\tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}} - iu)}{u'^2 + (\tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}} - iu)}$$

Analytic continuation onto real frequency

ngridq

nempty

nomeg

Implementation in exciting

- ▶ Correlation part of the self-energy

$$\Sigma_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}}^{BZ} \sum_m^{occ+empty} \int d\omega' \frac{\sum_{ij} [M_{nm}^i(\mathbf{k}, \mathbf{q})]^* W_{ij}^c(\mathbf{q}, \omega') M_{nm}^j(\mathbf{k}, \mathbf{q})}{\omega + \omega' - \tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}}}$$

ngridq

- ▶ Perform in imaginary frequency

$$\Sigma_{n\mathbf{k}}^c(iu) = \sum_{\mathbf{q}}^{BZ} \sum_m^{occ+empty} \int du' X_{nm}(\mathbf{k}, \mathbf{q}; \omega') \frac{2(\tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}} - iu)}{u'^2 + (\tilde{\epsilon}_{m\mathbf{k}-\mathbf{q}} - iu)}$$

nempty

nomeg

Analytic continuation onto real frequency

- ▶ Quasi-particle energies

$$\epsilon_{n\mathbf{k}}^{QP} = \epsilon_{n\mathbf{k}}^{KS} + Z_{n\mathbf{k}} \left[\mathcal{R} \Sigma_{n\mathbf{k}}^c(\epsilon_{n\mathbf{k}}^{KS}) + \Sigma_{n\mathbf{k}}^x - V_{xc}^{KS} \right]$$

exciting Usage

Ground state (GS)
DFT



exciting Usage

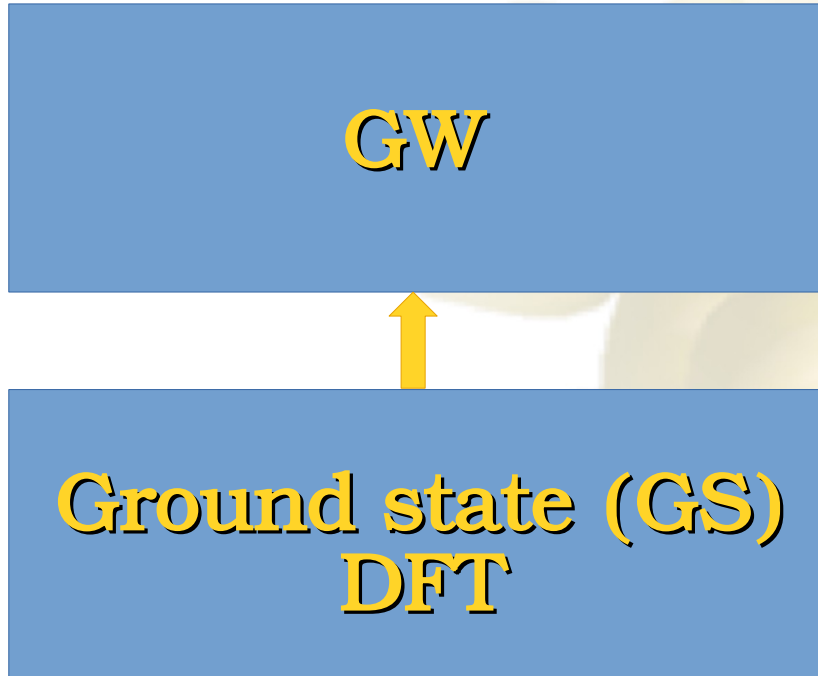
GW

Ground state (GS)
DFT

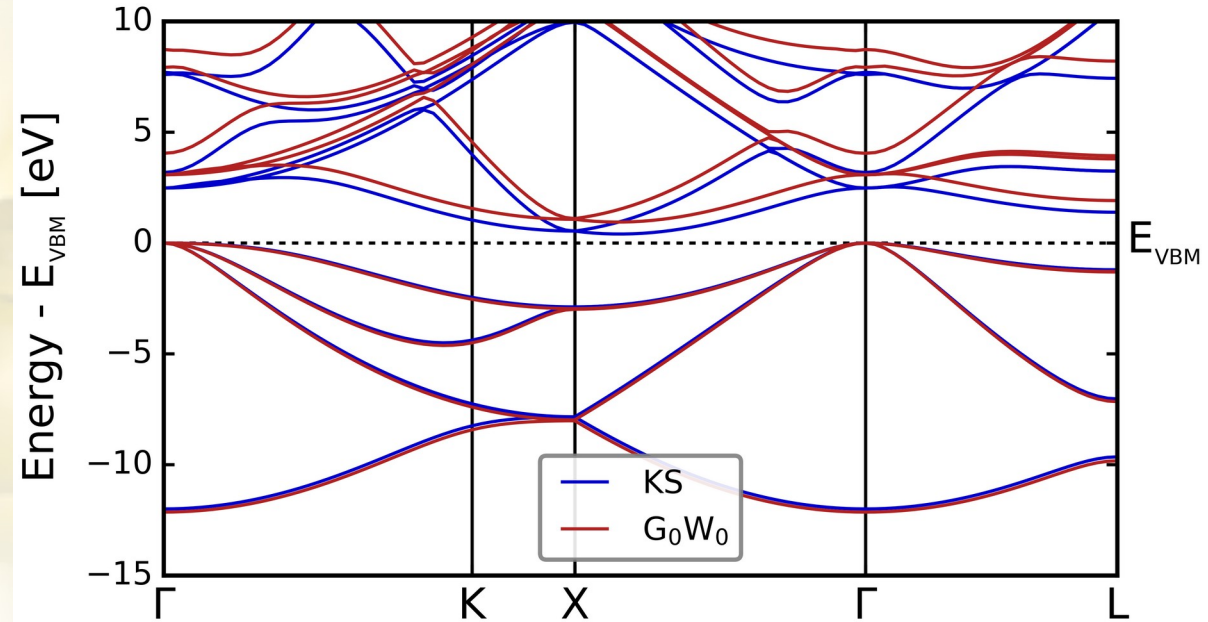


```
graph BT; A[Ground state (GS) DFT] --> B[GW]
```

exciting Usage



Bulk silicon



exciting Usage

- ▶ GS input file



exciting Usage

► GS input file

```
<input>
  <title>Silicon-GW</title>
  <structure
    speciespath="/users/sol/manoarphy/neon/species">
    <crystal>
      <basevect>5.13 5.13 0.00</basevect>
      <basevect>5.13 0.00 5.13</basevect>
      <basevect>0.00 5.13 5.13</basevect>
    </crystal>
    <species speciesfile="Si.xml" rmt="2.1">
      <atom coord="0.00 0.00 0.00"></atom>
      <atom coord="0.25 0.25 0.25"></atom>
    </species>
  </structure>
  <groundstate
    do="fromscratch"
    rgkmax="7.0"
    ngridk="3 3 3"
    xctype="LDA_PW"
  ></groundstate>
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```

exciting Usage

► GS input file

```
<input>
```

```
<title>Silicon-GW</title>
```

```
<structure
```

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  speciespath="/users/sol/manoarphy/neon/species">
```

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    <basevect>5.13 5.13 0.00</basevect>
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  <species speciesfile="Si.xml" rmt="2.1">
```

```
    <atom coord="0.00 0.00 0.00"></atom>
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```
    <atom coord="0.25 0.25 0.25"></atom>
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```
  </species>
```

```
</structure>
```

```
<groundstate
```

```
  do="fromscratch"
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></groundstate>
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exciting Usage

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exciting Usage

► GS input file

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  xctype="LDA_PW"
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></groundstate>
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exciting Usage

- ▶ GW input file



exciting Usage

- ▶ GW input file

```
<input>  
...  
<groundstate  
do="skip"  
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```

```
</input>
```

exciting Usage

- ▶ GW input file

```
<input>  
...  
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...
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```
</input>
```

exciting Usage

- ▶ GW input file

```
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  ngridq= 3 3 3
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  ibgw="1"
  nbgw="10"
  coreflag="xal"
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    epsmb="1.d-4"
    gmb="1.0"
  ></mixbasis>
  <freqgrid
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  ></freqgrid>
</gw>
</input>
```

exciting Usage

► GW input file

```
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  ><mixbasis
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    epsmb="1.d-4"
    gmb="1.0"
  ></mixbasis>
  <freqgrid
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  ></freqgrid>
</gw>
```

taskname="band"

taskname="dos"

```
</input>
```

exciting Usage

► GW input file

$$\sum_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}}^{BZ} \sum_{m}^{occ+empty} \dots$$

```
<input>
...
<groundstate
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  ...
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    epsmb="1.d-4"
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  ></mixbasis>
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    nomeg="12"
  ></freqgrid>
</gw>
```

```
</input>
```


exciting Usage

► GW input file

$$\sum_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}} \sum_{\substack{BZ \text{ occ} \\ + \text{empty}}} \dots$$

```
<input>
...
<groundstate
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...
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  narida="3 3 3"
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  lbgw="1"
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  ><mixbasis
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    gmb="1.0"
  ></mixbasis>
  <freqgrid
    nomeg="12"
  ></freqgrid>
</gw>
```

```
</input>
```

exciting Usage

► GW input file

$$\Sigma_{\kappa}^{\omega}(\omega) = \sum_{\mathbf{q}} \sum_{m}^{BZ \text{ occ}+empty} \dots$$

```
<input>
...
<groundstate
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  ...
><gw
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  nbgw="10"
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  ><mixbasis
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    epsmb="1.d-4"
    gmb="1.0"
  ></mixbasis>
  <freqgrid
    nomeg="12"
  ></freqgrid>
</gw>
```

```
</input>
```

exciting Usage

► GW input file

$$\Sigma_{n\mathbf{k}}^c(\omega) = \sum_{\mathbf{q}} \sum_{m}^{BZ \text{ occ}+empty} \dots$$

```
<input>
...
<groundstate
  do="skip"
...
><gw
  taskname="g0w0"
  ngridq="3 3 3"
  nempty="22"
  ibgw="1"
  nbgw="10"
  coreflag="xal"
  ><mixbasis
    lmaxmb="3"
    epsmb="1.d-4"
    gmb="1.0"
  ></mixbasis>
  <freqgrid
    nomeg="12"
  ></freqgrid>
</gw>
```

```
</input>
```

exciting Usage

► GW input file

$$\sum_{n\mathbf{k}}^c \omega = \sum_{\mathbf{q}} \sum_{m}^{BZ \text{ occ}+empty} \dots$$

```
<input>
...
<groundstate
  do="skip"
  ...
><gw
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  ngridq="3 3 3"
  nempty="22"
  ibgw="1"
  nbgw="10"
  coreflag="xal"
  ><mixbasis
    lmaxmb="3"
    epsmb="1.d-4"
    gmb="1.0"
  ></mixbasis>
  <freqgrid
    nomeg="12"
  ></freqgrid>
</gw>
</input>
```

exciting Usage

•	EPS00_GW.OUT	INFO.OUT	Si_scf.xml
••	EQATOMS.OUT	info.xml	STATE.OUT
atoms.xml	EVALCORE.OUT	input.xml	SYMCRYS.OUT
BANDLINES.OUT	evalcore.xml	KPOINTS.OUT	SYMGENR.OUT
BAND.OUT	EVALFV_GW.OUT	LATTICE.OUT	SYMINV.OUT
BAND-QP.OUT	EVALFV.OUT	LINENGY.OUT	SYMLAT.OUT
bandstructure.dat	EVALQP.DAT	OCCSV.OUT	SYMMULT.OUT
bandstructure-qp.dat	EVALQP.OUT	PLOT.eps	SYMSITE.OUT
bandstructure-qp.xml	EVALSV_GW.OUT	PMATVV.OUT	SYMT2.OUT
bandstructure.xml	EVALSV.OUT	RMSDVEFF.OUT	TDOS.OUT
BONDLENGTH.OUT	EVECFV_GW.OUT	SELFC.OUT	TDOS-QP.OUT
dos.xml	EVECFV.OUT	SELFX.OUT	TOTENERGY.OUT
EFERMI_GW.OUT	EVECSV_GW.OUT	si-gw-dos-KS.GW.png	VXCNN.DAT
EFERMI.OUT	EVECSV.OUT	si-gw-ef.png	VXCNN.OUT
EIGVAL.OUT	geometry.xml	si-gw-vbm.png	
eigval.xml	GW_INFO.OUT	Si_ini.xml	

exciting Usage

•	EPS00_GW.OUT	INFO.OUT	Si_scf.xml
••	EQATOMS.OUT	info.xml	STATE.OUT
atoms.xml	EVALCORE.OUT	input.xml	SYMCRYS.OUT
BANDLINES.OUT	evalcore.xml	KPOINTS.OUT	SYMGENR.OUT
BAND.OUT	EVALFV_GW.OUT	LATTICE.OUT	SYMINV.OUT
BAND-QP.OUT	EVALFV.OUT	LINENGY.OUT	SYMLAT.OUT
bandstructure.dat	EVALQP.DAT	OCCSV.OUT	SYMMULT.OUT
bandstructure-qp.dat	EVALQP.OUT	PLOT.eps	SYMSITE.OUT
bandstructure-qp.xml	EVALSV_GW.OUT	PMATVV.OUT	SYMT2.OUT
bandstructure.xml	EVALSV.OUT	RMSDVEFF.OUT	TDOS.OUT
BONDLENGTH.OUT	EVECFV_GW.OUT	SELFC.OUT	TDOS-QP.OUT
dos.xml	EVECFV.OUT	SELFX.OUT	TOTENERGY.OUT
EFERMI_GW.OUT	EVECSV_GW.OUT	<i>si-gw-dos-KS.GW.png</i>	VXCNN.DAT
EFERMI.OUT	EVECSV.OUT	<i>si-gw-ef.png</i>	VXCNN.OUT
EIGVAL.OUT	geometry.xml	<i>si-gw-vbm.png</i>	
eigval.xml	GW INFO.OUT	Si_ini.xml	

exciting Usage

•	EPS00_GW.OUT	INFO.OUT	Si_scf.xml
••	EQATOMS.OUT	info.xml	STATE.OUT
atoms.xml	EVALCORE.OUT	input.xml	SYMCRYS.OUT
BANDLINES.OUT	evalcore.xml	KPOINTS.OUT	SYMGENR.OUT
BAND.OUT	EVALFV_GW.OUT	LATTICE.OUT	SYMINV.OUT
BAND-QP.OUT	EVALFV.OUT	LINENGY.OUT	SYMLAT.OUT
bandstructure.dat	EVALQP.DAT	OCCSV.OUT	SYMMULT.OUT
bandstructure-qp.dat	EVALQP.OUT	PLOT.eps	SYMSITE.OUT
bandstructure-qp.xml	EVALSV_GW.OUT	PMATVV.OUT	SYMT2.OUT
bandstructure.xml	EVALSV.OUT	RMSDVEFF.OUT	TDOS.OUT
BONDLENGTH.OUT	EVECFV_GW.OUT	SELFC.OUT	TDOS-QP.OUT
dos.xml	EVECFV.OUT	SELFX.OUT	TOTENERGY.OUT
EFERMI_GW.OUT	EVECSV_GW.OUT	<i>si-gw-dos-KS.GW.png</i>	VXCNN.DAT
EFERMI.OUT	EVECSV.OUT	<i>si-gw-ef.png</i>	VXCNN.OUT
EIGVAL.OUT	geometry.xml	<i>si-gw-vbm.png</i>	
eigval.xml	GW_INFO.OUT	Si_ini.xml	

exciting Usage

k-point #	1:	0.000000	0.000000	0.000000	0.037037					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.45134	-0.69966	-0.44986	-0.70105	0.25056	0.03612	-0.45273	-0.24832	0.00149	0.66555
2	-0.01047	-0.07414	-0.00378	-0.56215	0.07225	0.00015	-0.49848	-0.06367	0.00670	0.78017
3	-0.01047	-0.07414	-0.00389	-0.56215	0.07211	0.00013	-0.49848	-0.06367	0.00658	0.77903
4	-0.01047	-0.07414	-0.00389	-0.56215	0.07212	0.00014	-0.49848	-0.06367	0.00659	0.77917
5	0.08067	0.26157	0.10936	-0.25087	-0.14402	-0.00125	-0.43177	0.18090	0.02869	0.77794
6	0.08067	0.26157	0.10933	-0.25087	-0.14409	-0.00127	-0.43177	0.18090	0.02865	0.77846
7	0.08067	0.26157	0.10942	-0.25087	-0.14399	-0.00120	-0.43177	0.18090	0.02875	0.77888
8	0.10651	0.32083	0.14503	-0.34472	-0.16419	-0.00147	-0.55904	0.21432	0.03852	0.76837
9	0.26869	0.47704	0.28745	-0.13571	-0.18444	-0.00703	-0.34406	0.20835	0.01875	0.78431
10	0.27253	0.49322	0.31704	-0.16678	-0.16550	-0.00209	-0.38748	0.22069	0.04451	0.80646

k-point #	2:	0.000000	0.000000	0.333333	0.296296					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.40055	-0.62733	-0.40035	-0.69022	0.22708	0.02707	-0.46344	-0.22678	0.00020	0.68318
2	-0.20836	-0.33803	-0.20833	-0.58997	0.12970	0.00745	-0.46029	-0.12968	0.00002	0.74643
3	-0.04760	-0.12044	-0.04295	-0.55914	0.07884	0.00053	-0.48631	-0.07284	0.00466	0.77473
4	-0.04760	-0.12044	-0.04300	-0.55914	0.07879	0.00050	-0.48631	-0.07284	0.00460	0.77383
5	0.04899	0.22993	0.07841	-0.28110	-0.14333	-0.00053	-0.46204	0.18094	0.02942	0.78220
6	0.11512	0.30416	0.14384	-0.22532	-0.15215	-0.00174	-0.41437	0.18905	0.02872	0.77830
7	0.11512	0.30416	0.14394	-0.22532	-0.15203	-0.00165	-0.41437	0.18905	0.02883	0.77885
8	0.26948	0.49261	0.29430	-0.15957	-0.19119	-0.00829	-0.38270	0.22314	0.02483	0.77719
9	0.28052	0.50287	0.31461	-0.16878	-0.17908	-0.00819	-0.39114	0.22236	0.03409	0.78765
10	0.28052	0.50287	0.31450	-0.16878	-0.17921	-0.00835	-0.39114	0.22236	0.03398	0.78768

exciting Usage

k-point # 1: 0.000000 0.000000 0.000000 0.037037

state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.45134	-0.69966	-0.44986	-0.70105	0.25056	0.03612	-0.45273	-0.24832	0.00149	0.66555
2	-0.01047	-0.07414	-0.00378	-0.56215	0.07225	0.00015	-0.49848	-0.06367	0.00670	0.78017
3	-0.01047	-0.07414	-0.00389	-0.56215	0.07211	0.00013	-0.49848	-0.06367	0.00658	0.77903
4	-0.01047	-0.07414	-0.00389	-0.56215	0.07212	0.00014	-0.49848	-0.06367	0.00659	0.77917
5	0.08067	0.26157	0.10936	-0.25087	-0.14402	-0.00125	-0.43177	0.18090	0.02869	0.77794
6	0.08067	0.26157	0.10933	-0.25087	-0.14409	-0.00127	-0.43177	0.18090	0.02865	0.77846
7	0.08067	0.26157	0.10942	-0.25087	-0.14399	-0.00120	-0.43177	0.18090	0.02875	0.77888
8	0.10651	0.32083	0.14503	-0.34472	-0.16419	-0.00147	-0.55904	0.21432	0.03852	0.76837
9	0.26869	0.47704	0.28745	-0.13571	-0.18444	-0.00703	-0.34406	0.20835	0.01875	0.78431
10	0.27253	0.49322	0.31704	-0.16678	-0.16550	-0.00209	-0.38748	0.22069	0.04451	0.80646

k-point # 2: 0.000000 0.000000 0.333333 0.296296

state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.40055	-0.62733	-0.40035	-0.69022	0.22708	0.02707	-0.46344	-0.22678	0.00020	0.68318
2	-0.20836	-0.33803	-0.20833	-0.58997	0.12970	0.00745	-0.46029	-0.12968	0.00002	0.74643
3	-0.04760	-0.12044	-0.04295	-0.55914	0.07884	0.00053	-0.48631	-0.07284	0.00466	0.77473
4	-0.04760	-0.12044	-0.04300	-0.55914	0.07879	0.00050	-0.48631	-0.07284	0.00460	0.77383
5	0.04899	0.22993	0.07841	-0.28110	-0.14333	-0.00053	-0.46204	0.18094	0.02942	0.78220
6	0.11512	0.30416	0.14384	-0.22532	-0.15215	-0.00174	-0.41437	0.18905	0.02872	0.77830
7	0.11512	0.30416	0.14394	-0.22532	-0.15203	-0.00165	-0.41437	0.18905	0.02883	0.77885
8	0.26948	0.49261	0.29430	-0.15957	-0.19119	-0.00829	-0.38270	0.22314	0.02483	0.77719
9	0.28052	0.50287	0.31461	-0.16878	-0.17908	-0.00819	-0.39114	0.22236	0.03409	0.78765
10	0.28052	0.50287	0.31450	-0.16878	-0.17921	-0.00835	-0.39114	0.22236	0.03398	0.78768

exciting Usage

k-point #	1:	0.000000	0.000000	0.000000	0.037037					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.45134	-0.69966	-0.44986	-0.70105	0.25056	0.03612	-0.45273	-0.24832	0.00149	0.66555
2	-0.01047	-0.07414	-0.00378	-0.56215	0.07225	0.00015	-0.49848	-0.06367	0.00670	0.78017
3	-0.01047	-0.07414	-0.00389	-0.56215	0.07211	0.00013	-0.49848	-0.06367	0.00658	0.77903
4	-0.01047	-0.07414	-0.00389	-0.56215	0.07212	0.00014	-0.49848	-0.06367	0.00659	0.77917
5	0.08067	0.26157	0.10936	-0.25087	-0.14402	-0.00125	-0.43177	0.18090	0.02869	0.77794
6	0.08067	0.26157	0.10933	-0.25087	-0.14409	-0.00127	-0.43177	0.18090	0.02865	0.77846
7	0.08067	0.26157	0.10942	-0.25087	-0.14399	-0.00120	-0.43177	0.18090	0.02875	0.77888
8	0.10651	0.32083	0.14503	-0.34472	-0.16419	-0.00147	-0.55904	0.21432	0.03852	0.76837
9	0.26869	0.47704	0.28745	-0.13571	-0.18444	-0.00703	-0.34406	0.20835	0.01875	0.78431
10	0.27253	0.49322	0.31704	-0.16678	-0.16550	-0.00209	-0.38748	0.22069	0.04451	0.80646

k-point #	2:	0.000000	0.000000	0.333333	0.296296					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.40055	-0.62733	-0.40035	-0.69022	0.22708	0.02707	-0.46344	-0.22678	0.00020	0.68318
2	-0.20836	-0.33803	-0.20833	-0.58997	0.12970	0.00745	-0.46029	-0.12968	0.00002	0.74643
3	-0.04760	-0.12044	-0.04295	-0.55914	0.07884	0.00053	-0.48631	-0.07284	0.00466	0.77473
4	-0.04760	-0.12044	-0.04300	-0.55914	0.07879	0.00050	-0.48631	-0.07284	0.00460	0.77383
5	0.04899	0.22993	0.07841	-0.28110	-0.14333	-0.00053	-0.46204	0.18094	0.02942	0.78220
6	0.11512	0.30416	0.14384	-0.22532	-0.15215	-0.00174	-0.41437	0.18905	0.02872	0.77830
7	0.11512	0.30416	0.14394	-0.22532	-0.15203	-0.00165	-0.41437	0.18905	0.02883	0.77885
8	0.26948	0.49261	0.29430	-0.15957	-0.19119	-0.00829	-0.38270	0.22314	0.02483	0.77719
9	0.28052	0.50287	0.31461	-0.16878	-0.17908	-0.00819	-0.39114	0.22236	0.03409	0.78765
10	0.28052	0.50287	0.31450	-0.16878	-0.17921	-0.00835	-0.39114	0.22236	0.03398	0.78768

exciting Usage

k-point #	1:	0.000000	0.000000	0.000000	0.037037					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.45134	-0.69966	-0.44986	-0.70105	0.25056	0.03612	-0.45273	-0.24832	0.00149	0.66555
2	-0.01047	-0.07414	-0.00378	-0.56215	0.07225	0.00015	-0.49848	-0.06367	0.00670	0.78017
3	-0.01047	-0.07414	-0.00389	-0.56215	0.07211	0.00013	-0.49848	-0.06367	0.00658	0.77903
4	-0.01047	-0.07414	-0.00389	-0.56215	0.07212	0.00014	-0.49848	-0.06367	0.00659	0.77917
5	0.08067	0.26157	0.10936	-0.25087	-0.14402	-0.00125	-0.43177	0.18090	0.02869	0.77794
6	0.08067	0.26157	0.10933	-0.25087	-0.14409	-0.00127	-0.43177	0.18090	0.02865	0.77846
7	0.08067	0.26157	0.10942	-0.25087	-0.14399	-0.00120	-0.43177	0.18090	0.02875	0.77888
8	0.10651	0.32083	0.14503	-0.34472	-0.16419	-0.00147	-0.55904	0.21432	0.03852	0.76837
9	0.26869	0.47704	0.28745	-0.13571	-0.18444	-0.00703	-0.34406	0.20835	0.01875	0.78431
10	0.27253	0.49322	0.31704	-0.16678	-0.16550	-0.00209	-0.38748	0.22069	0.04451	0.80646

k-point #	2:	0.000000	0.000000	0.333333	0.296296					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.40055	-0.62733	-0.40035	-0.69022	0.22708	0.02707	-0.46344	-0.22678	0.00020	0.68318
2	-0.20836	-0.33803	-0.20833	-0.58997	0.12970	0.00745	-0.46029	-0.12968	0.00002	0.74643
3	-0.04760	-0.12044	-0.04295	-0.55914	0.07884	0.00053	-0.48631	-0.07284	0.00466	0.77473
4	-0.04760	-0.12044	-0.04300	-0.55914	0.07879	0.00050	-0.48631	-0.07284	0.00460	0.77383
5	0.04899	0.22993	0.07841	-0.28110	-0.14333	-0.00053	-0.46204	0.18094	0.02942	0.78220
6	0.11512	0.30416	0.14384	-0.22532	-0.15215	-0.00174	-0.41437	0.18905	0.02872	0.77830
7	0.11512	0.30416	0.14394	-0.22532	-0.15203	-0.00165	-0.41437	0.18905	0.02883	0.77885
8	0.26948	0.49261	0.29430	-0.15957	-0.19119	-0.00829	-0.38270	0.22314	0.02483	0.77719
9	0.28052	0.50287	0.31461	-0.16878	-0.17908	-0.00819	-0.39114	0.22236	0.03409	0.78765
10	0.28052	0.50287	0.31450	-0.16878	-0.17921	-0.00835	-0.39114	0.22236	0.03398	0.78768

exciting Usage

k-point #	1:	0.000000	0.000000	0.000000	0.037037					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.45134	-0.69966	-0.44986	-0.70105	0.25056	0.03612	-0.45273	-0.24832	0.00149	0.66555
2	-0.01047	-0.07414	-0.00378	-0.56215	0.07225	0.00015	-0.49848	-0.06367	0.00670	0.78017
3	-0.01047	-0.07414	-0.00389	-0.56215	0.07211	0.00013	-0.49848	-0.06367	0.00658	0.77903
4	-0.01047	-0.07414	-0.00389	-0.56215	0.07212	0.00014	-0.49848	-0.06367	0.00659	0.77917
5	0.08067	0.26157	0.10936	-0.25087	-0.14402	-0.00125	-0.43177	0.18090	0.02869	0.77794
6	0.08067	0.26157	0.10933	-0.25087	-0.14409	-0.00127	-0.43177	0.18090	0.02865	0.77846
7	0.08067	0.26157	0.10942	-0.25087	-0.14399	-0.00120	-0.43177	0.18090	0.02875	0.77888
8	0.10651	0.32083	0.14503	-0.34472	-0.16419	-0.00147	-0.55904	0.21432	0.03852	0.76837
9	0.26869	0.47704	0.28745	-0.13571	-0.18444	-0.00703	-0.34406	0.20835	0.01875	0.78431
10	0.27253	0.49322	0.31704	-0.16678	-0.16550	-0.00209	-0.38748	0.22069	0.04451	0.80646

k-point #	2:	0.000000	0.000000	0.333333	0.296296					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.40055	-0.62733	-0.40035	-0.69022	0.22708	0.02707	-0.46344	-0.22678	0.00020	0.68318
2	-0.20836	-0.33803	-0.20833	-0.58997	0.12970	0.00745	-0.46029	-0.12968	0.00002	0.74643
3	-0.04760	-0.12044	-0.04295	-0.55914	0.07884	0.00053	-0.48631	-0.07284	0.00466	0.77473
4	-0.04760	-0.12044	-0.04300	-0.55914	0.07879	0.00050	-0.48631	-0.07284	0.00460	0.77383
5	0.04899	0.22993	0.07841	-0.28110	-0.14333	-0.00053	-0.46204	0.18094	0.02942	0.78220
6	0.11512	0.30416	0.14384	-0.22532	-0.15215	-0.00174	-0.41437	0.18905	0.02872	0.77830
7	0.11512	0.30416	0.14394	-0.22532	-0.15203	-0.00165	-0.41437	0.18905	0.02883	0.77885
8	0.26948	0.49261	0.29430	-0.15957	-0.19119	-0.00829	-0.38270	0.22314	0.02483	0.77719
9	0.28052	0.50287	0.31461	-0.16878	-0.17908	-0.00819	-0.39114	0.22236	0.03409	0.78765
10	0.28052	0.50287	0.31450	-0.16878	-0.17921	-0.00835	-0.39114	0.22236	0.03398	0.78768

exciting Usage

k-point #	1:	0.000000	0.000000	0.000000	0.037037					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.45134	-0.69966	-0.44986	-0.70105	0.25056	0.03612	-0.45273	-0.24832	0.00149	0.66555
2	-0.01047	-0.07414	-0.00378	-0.56215	0.07225	0.00015	-0.49848	-0.06367	0.00670	0.78017
3	-0.01047	-0.07414	-0.00389	-0.56215	0.07211	0.00013	-0.49848	-0.06367	0.00658	0.77903
4	-0.01047	-0.07414	-0.00389	-0.56215	0.07212	0.00014	-0.49848	-0.06367	0.00659	0.77917
5	0.08067	0.26157	0.10936	-0.25087	-0.14402	-0.00125	-0.43177	0.18090	0.02869	0.77794
6	0.08067	0.26157	0.10933	-0.25087	-0.14409	-0.00127	-0.43177	0.18090	0.02865	0.77846
7	0.08067	0.26157	0.10942	-0.25087	-0.14399	-0.00120	-0.43177	0.18090	0.02875	0.77888
8	0.10651	0.32083	0.14503	-0.34472	-0.16419	-0.00147	-0.55904	0.21432	0.03852	0.76837
9	0.26869	0.47704	0.28745	-0.13571	-0.18444	-0.00703	-0.34406	0.20835	0.01875	0.78431
10	0.27253	0.49322	0.31704	-0.16678	-0.16550	-0.00209	-0.38748	0.22069	0.04451	0.80646

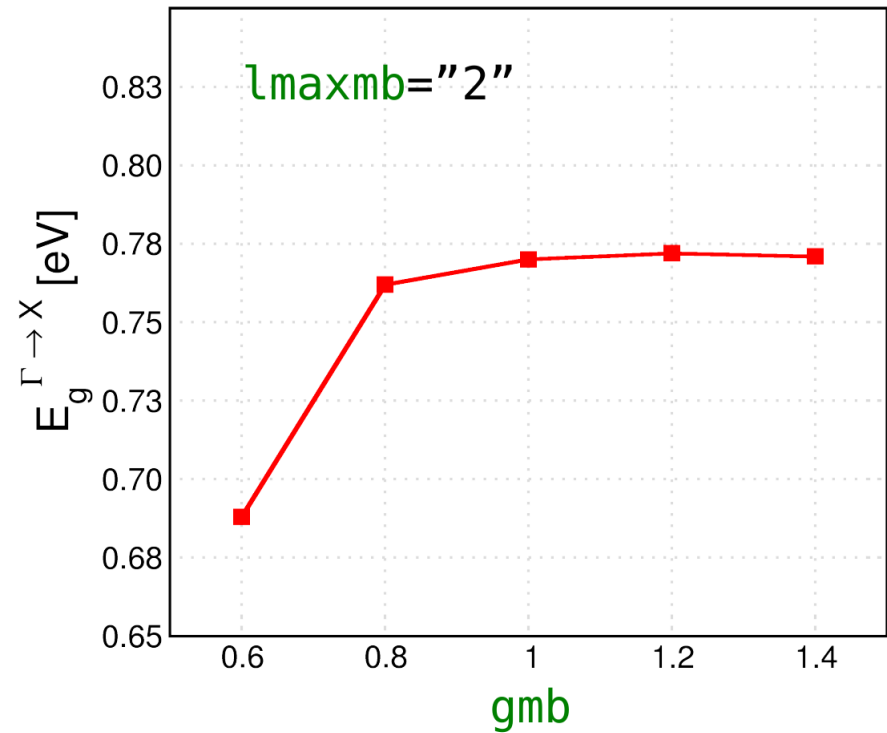
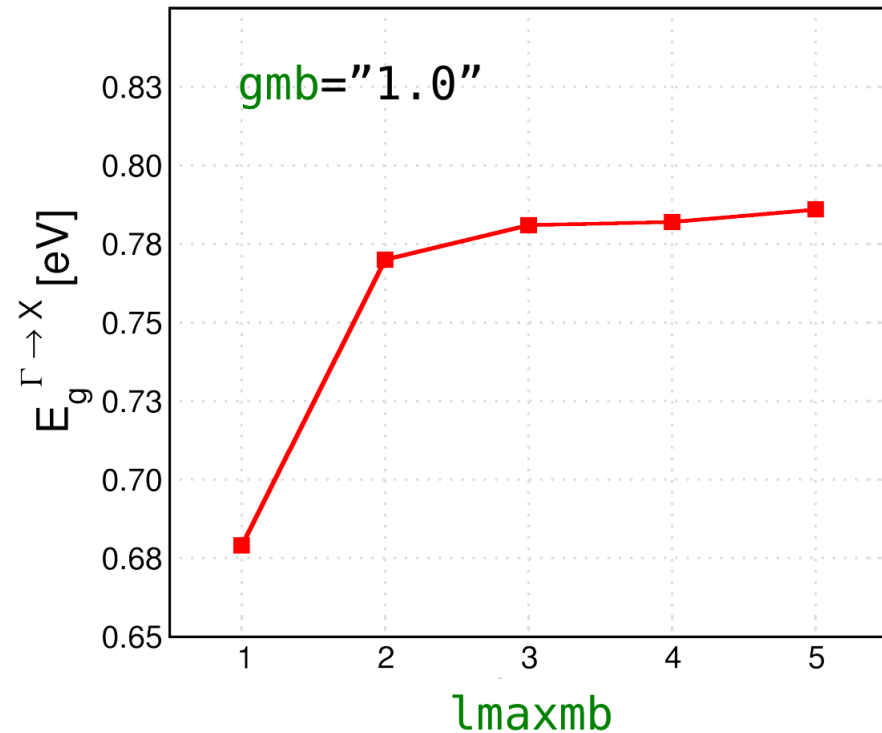
k-point #	2:	0.000000	0.000000	0.333333	0.296296					
state	E_KS	E_HF	E_GW	Sx	Re(Sc)	Im(Sc)	Vxc	DE_HF	DE_GW	Znk
1	-0.40055	-0.62733	-0.40035	-0.69022	0.22708	0.02707	-0.46344	-0.22678	0.00020	0.68318
2	-0.20836	-0.33803	-0.20833	-0.58997	0.12970	0.00745	-0.46029	-0.12968	0.00002	0.74643
3	-0.04760	-0.12044	-0.04295	-0.55914	0.07884	0.00053	-0.48631	-0.07284	0.00466	0.77473
4	-0.04760	-0.12044	-0.04300	-0.55914	0.07879	0.00050	-0.48631	-0.07284	0.00460	0.77383
5	0.04899	0.22993	0.07841	-0.28110	-0.14333	-0.00053	-0.46204	0.18094	0.02942	0.78220
6	0.11512	0.30416	0.14384	-0.22532	-0.15215	-0.00174	-0.41437	0.18905	0.02872	0.77830
7	0.11512	0.30416	0.14394	-0.22532	-0.15203	-0.00165	-0.41437	0.18905	0.02883	0.77885
8	0.26948	0.49261	0.29430	-0.15957	-0.19119	-0.00829	-0.38270	0.22314	0.02483	0.77719
9	0.28052	0.50287	0.31461	-0.16878	-0.17908	-0.00819	-0.39114	0.22236	0.03409	0.78765
10	0.28052	0.50287	0.31450	-0.16878	-0.17921	-0.00835	-0.39114	0.22236	0.03398	0.78768

Convergence test

`/input/gw/mixbasis/@lmaxmb`

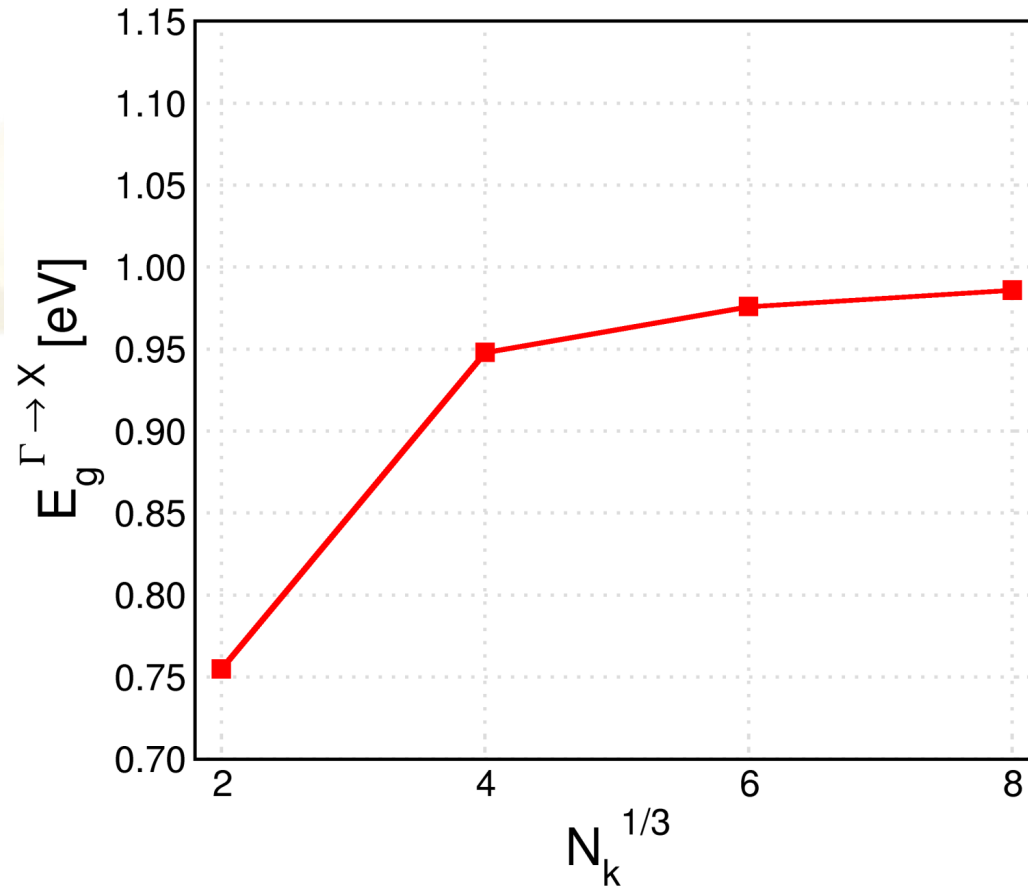
`/input/gw/mixbasis/@gmb`

`nempty="17", ngridk="2 2 2"`

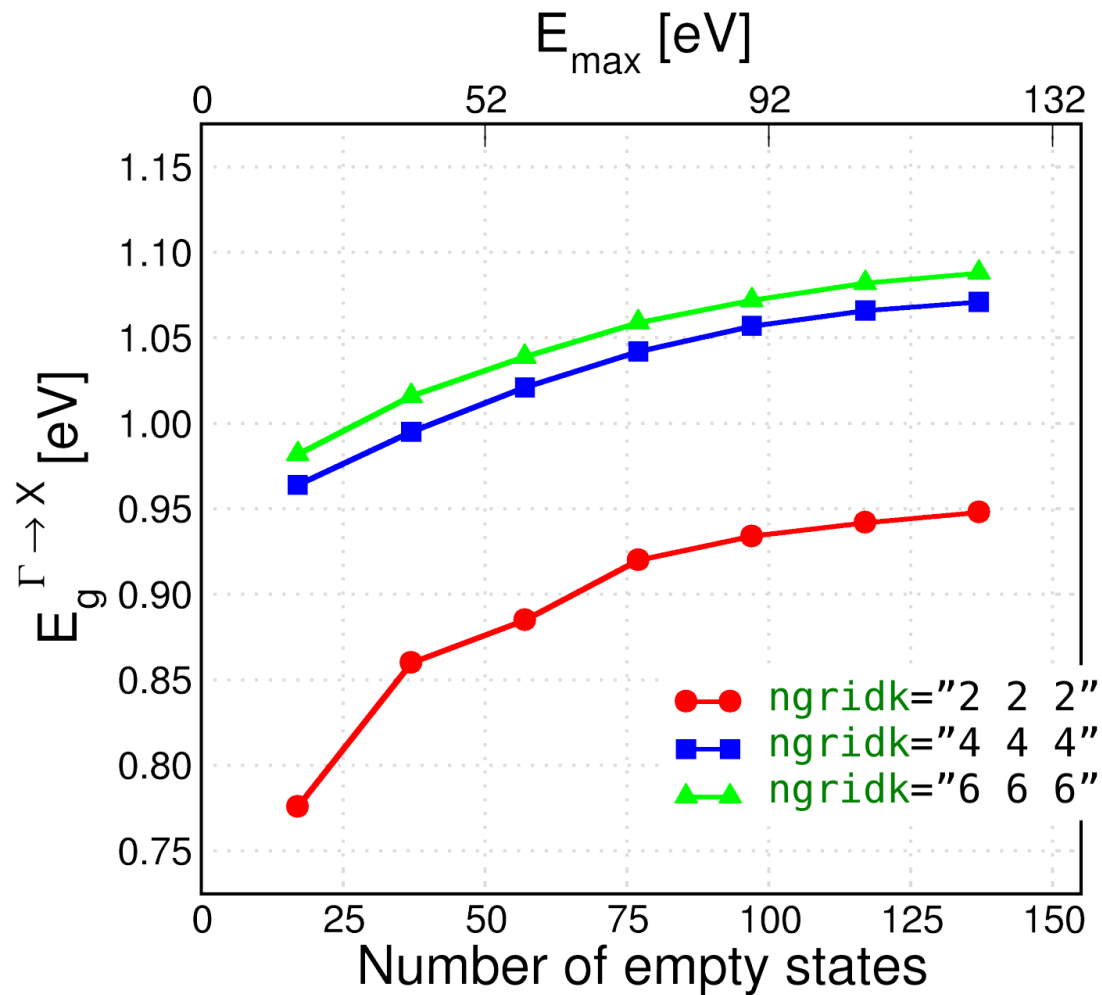


Convergence test

`lmaxmb="3", gmb="1.0", nempty="17"`



Convergence test



Summary

- ▶ GW approximation and implementation in **exciting**
- ▶ Inputs for GW@**exciting**
- ▶ Key factors to run GW in **exciting**
- ▶ Perform the convergence tests



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Low scaling GW algorithm

$$\mathcal{O}(N^3)$$

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Thank you